



## Introduction

- Many (un)planned disturbances in public transport (e.g. track maintenance, incidents)
- Important to quantify passenger impact (e.g. extra transfers and travel time) and operator impact (e.g. loss of passenger revenues) of these disturbances
- Availability of AFC data led to development of smartcard data driven models for PT ridership predictions recent years
- Extend these models to predict PT ridership during track closures

## Study objectives

- Improve accuracy of PT ridership prediction models in case of planned, temporary disturbances
- Calibrate and validate model parameter set based on revealed passenger behavior (AFC data)
- Based on 4 large disturbances occurred on HTM transit network in The Netherlands

## Experimental design: systematic evaluation of different parameter sets

Parameters	Elasticity $E_\delta$	Waiting time $WTT^R$	In-vehicle time $IVT^R$	Frequency
Parameter values	{-0.7, -1.1, -1.5}	{1.5, 2.0}	{1.0, 1.25}	{ $f^R, f^T$ }
Scenario 1 (default)	-1.1	1.5	1.0	$f^R$
Scenario 2	-1.1	1.5	1.0	$\text{MIN}(f^R, f^T)$
Scenario 3	-1.1	1.5	1.25	$f^R$
Scenario 4	-1.1	1.5	1.25	$\text{MIN}(f^R, f^T)$
Scenario 5	-1.1	2.0	1.0	$f^R$
Scenario 6	-1.1	2.0	1.0	$\text{MIN}(f^R, f^T)$
Scenario 7	-1.1	2.0	1.25	$f^R$
Scenario 8	-1.1	2.0	1.25	$\text{MIN}(f^R, f^T)$
Scenario 9	-0.7	1.5	1.0	$f^R$
Scenario 10	-0.7	1.5	1.0	$\text{MIN}(f^R, f^T)$
Scenario 11	-0.7	1.5	1.25	$f^R$
Scenario 12	-0.7	1.5	1.25	$\text{MIN}(f^R, f^T)$
Scenario 13	-0.7	2.0	1.0	$f^R$
Scenario 14	-0.7	2.0	1.0	$\text{MIN}(f^R, f^T)$
Scenario 15	-0.7	2.0	1.25	$f^R$
Scenario 16	-0.7	2.0	1.25	$\text{MIN}(f^R, f^T)$
Scenario 17	-1.5	1.5	1.0	$f^R$
Scenario 18	-1.5	1.5	1.0	$\text{MIN}(f^R, f^T)$
Scenario 19	-1.5	1.5	1.25	$f^R$
Scenario 20	-1.5	1.5	1.25	$\text{MIN}(f^R, f^T)$
Scenario 21	-1.5	2.0	1.0	$f^R$
Scenario 22	-1.5	2.0	1.0	$\text{MIN}(f^R, f^T)$
Scenario 23	-1.5	2.0	1.25	$f^R$
Scenario 24	-1.5	2.0	1.25	$\text{MIN}(f^R, f^T)$

## Evaluation framework

$$\Delta P = \left( \left( \frac{P_{\delta,p} - P_{\delta_0,p}}{P_{\delta_0,p}} \right) - \left( \frac{P_{\delta,r} - P_{\delta_0,r}}{P_{\delta_0,r}} \right) \right) * 100 \quad \forall l \in L \quad \forall t$$

$$\Delta PK = \left( \left( \frac{PK_{\delta,p} - PK_{\delta_0,p}}{PK_{\delta_0,p}} \right) - \left( \frac{PK_{\delta,r} - PK_{\delta_0,r}}{PK_{\delta_0,r}} \right) \right) * 100 \quad \forall l \in L \quad \forall t$$

$P$  # of passengers  
 $PK$  # of pass-km  
 $\delta$  disruption scenario  
 $\delta_0$  base scenario  
 $r$  realized ridership  
 $p$  predicted ridership  
 $l$  transit line  
 $t$  time period

## Case studies Netherlands: 2 disturbances for calibration + 2 disturbances for validation



## Results: new parameter set + improved prediction accuracy during disturbances

Parameter	Default parameter values	New parameter values
Elasticity $E_\delta$	-1.1	-0.7
Waiting time coefficient for rail-replacement bus	1.5	1.5
In-vehicle time coefficient for rail-replacement bus	1.0	1.11
Frequency $f^R$ of rail-replacement bus	$f^R$	$\text{MIN}(f^R, f^T)$

## Prediction accuracy results



## Conclusions

- In-vehicle time perception rail-replacement busses is 1.1 times higher than in initial tram line
- The higher frequency of rail-replacement busses than the initial tram line is not perceived
- Further research: segmentation of parameter set to disruption location, duration and purpose